

# Comparison between Allowable Properties Method and Reliability Analysis Method to Determine Design Values of Visually Graded Chinese Larch 40 x 65 mm Lumber

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The reliability analysis method and the allowable stress method were both applied in this study to determine design values of ultimate compression strength (UCS) of visually-graded 40 x 65 mm dimension Chinese larch lumber. A total of 784 lumber samples were tested on the static full-size compression strength, according to Chinese National Standards. The goodness-of-fit for the UCS distribution of four visual grades of lumber were analyzed, and first-order, second-moment reliability analyses under different load cases were performed based on all of the test data. The log-normal distribution was found to optimize the fitted distribution of the ultimate compression strength of Chinese larch dimension lumber. Design values of the compression strength of grades Ic, IIc, IIIc, and IVc were suggested to have the minimum reliability index of 3.2 for the reliability analysis method, and the reduction factor of 1/1.9 for the allowable stress method. The results showed that the design values in the Chinese Code were the most conservative for high visual grade dimension lumber compared to the reliability analysis and allowable stress methods. The reliability analysis method was more suitable for developing design values of lower visually-graded lumber.

*Keywords:* Reliability analysis; Allowable stress; Compress strength; Chinese larch; Dimension lumber; Design value

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## INTRODUCTION

Dimension lumber is a building material with standardized sizes designed for a variety of applications. In China, it is commonly imported from many countries including the United States, Canada, and Russia (Yuan *et al.* 2011; Zhou 2012) to meet market demands. Chinese larch has many advantages for the development of dimension lumber because of its large plantation area and good strength properties (Zhou *et al.* 2015).

In the field of structural application, design value of a material property should be determined before the materials, such as lumber, steel and engineering plastics, are used in building structures (MOHURD 2005). Design values are important for any structural applications, such that design values of Chinese larch should be quantified to develop Chinese larch as a local timber crop. Two methods are typically used to develop design values for the mechanical properties of structural wood (Zhong and Ren 2014). One is the analysis method of allowable properties, which is popular in North America (ASTM 2007).

The other is the reliability analysis method, which is used primarily in China (MOHURD 2001, 2008).

Where specified in GB50005-03 (MOHURD 2003), the design values for the strength properties of Chinese larch originate from the reliability analysis method, which is based on data from small clear specimens. However, Chinese larch wood was designated for only one strength grade in the 2003 edition of the design code. Thus, to expand its miscellaneous utilizations and heighten building security, more strength grades should be assigned to the lumber of Chinese larch and other tree species.

Since 2002, Chinese research institutes have been building a grade system for these prospective species, under the guidance of Forintek Corp. (Canada). In the grade system, visual grading is a stress grading method, which is based on the premise that the mechanical properties of lumber differ from the mechanical properties of clear wood. This is because many growth characteristics affect the properties and these characteristics can be easily visualized. For example, knots are categorized into one of several classes primarily to provide a means for assigning their limits to various grades of lumber. Knots have a major influence on the mechanical properties of wood by way of distorting grain in the vicinity of the knot, causing material discontinuity by checking in the knots as well as in the surrounding material, *etc.* (Liu and Zhao 2003). Four visual grading rules were included in the new edition of Chinese design code of timber construction (MOHURD 2005). The grading rules were derived from the National Lumber Grades Authority (NLGA) standard of Canadian-based grading rules (2005). In GB50005-03 (MOHURD 2005), the visual grade, Ic, is equivalent to NLGA SS; the visual grade, IIc, is equivalent to NLGA No. 1; the visual grade, IIIc, is equivalent to NLGA No. 2; and visual grade, IVc, is equivalent to NLGA No. 3. Each visual grade denotes a different degree of strength reducing characteristics existing in the lumber. It should be noted that Ic is the highest grade and IVc is the lowest grade. However, the design values were not given for each visual grade. The characteristic values for the visual grades of Chinese larch dimension lumber were determined according to the ASTM D1990 (2007) of North America. Different design values may be assigned because of the differences in the developing methods used to calculate design values between China and North American. Therefore, it is of interest whether the allowable stress method or the reliability analysis method is more accurate for Chinese larch dimension lumber in developing the design value.

For this example, the compression strength of 40 x 65 mm Chinese larch dimension lumber was developed and compared with the design values of the ultimate compression strength of each of the visual grades, based on full-size in-grade tests in accordance with the reliability analysis method (MOHURD 2001, 2008) and the allowable stress method (ASTM 2003).

## EXPERIMENTAL

### Sampling

Because there is currently no commercial production of Chinese larch dimension lumber, the sampling of dimension lumber cannot be conducted in sawmills. The material used in this study was collected from two regional forestry centers, Cuigang and Pangu, in the Daxing'anling region in Northeast China. In these forestry centers, Chinese larch logs, with diameters at breast heights (DBH) above 240 mm, were sawn from secondary forests

and cut into logs measuring 4,000 mm in length. The sampling plan focused on collecting representative logs with small-end diameters ranging from 160 to 340 mm. The number of selected logs was roughly in proportion with the annual cut of each forestry center, in order to provide a sample group that was representative of the entire plantation. A total of 454 m<sup>3</sup> Chinese larch logs were sampled: 286 m<sup>3</sup> from Cuigang and 168 m<sup>3</sup> from Pangu.

Lumber was sawn from the logs following a cant sawing pattern typically used in China, and then kiln-dried to a target moisture content of approximately 12%. After being kiln-dried, all sawn lumbers were planed to a standard size of 4000 mm (Length) by 40 mm (Height) by 65 mm (Width).

### Grading

Lumber was visually graded according to the grading rules provided in the Chinese timber design code, GB50005-03 (MOHURD 2005). During grading, the grade controlling defects and maximum strength reducing defects (MSRD) were identified and recorded for each specimen. All samples were stored in a conditioning chamber maintained at 20 °C, and 65% relative humidity before testing.

### Testing

Compression tests were conducted according to GB/T28993 (SAC 2012) for the compression group using a compression testing machine (Universal Testing Machine, We-1000B, Jinan Kaien Testing Machine Company, Jinan, China) to evaluate the compression strength parallel to the grain for each specimen. The test procedures can be summarized as: short column method (without lateral support), 250 mm test spans, and tests conducted at a loading rate to cause failure within 10 min. Because the short column method was employed, several samples needed to be cut from the lumber in length. One of the samples was selected as the representative of the lumber according to its strength properties. Two samples were sawn from each Ic grade specimen: one containing MSRD and the other with no clear defects. The compression strength values of each Ic grade specimen were derived from the lower strength value of the two samples. For the IIc, IIIc, and IVc grades, three samples were taken from each of the specimens: one containing MSRD, the second with minor defects, and the third without defects. The compression strength value was determined from the lowest strength value of the three samples.

The annual ring width (ARW) and density for each specimen was measured near the rupture location according to the national standards GB/T1930-2009 (SAC 2009a) and GB/T1933-2009 (SAC 2009b). The numbers and basic physical properties of the samples are shown in Table 1.

**Table 1.** The Numbers and Basic Physical Properties of the Samples

	Number	Density (g·cm <sup>-3</sup> )	ARW (mm)
I <sub>c</sub>	181	0.650 (9.84)	1.55 (52.25)
II <sub>c</sub>	98	0.634 (11.18)	1.94 (44.64)
III <sub>c</sub>	242	0.639 (11.43)	1.83 (55.39)
IV <sub>c</sub>	263	0.643 (11.64)	1.76 (52.50)

Note: Density is air dried density. Values in parentheses are coefficients of variation (%); ARW is average to annual ring width.

**Statistical Analysis**

The statistical analysis and the associated graphics were performed using Matlab 7 (MathWorks, USA), Origin 9.0 (OriginLab, USA), and Microsoft Office 2013 (Microsoft, USA) software. UCS between each grades were compared using analysis of variance (ANOVA). The ultimate compression strength (UCS) distribution of each grade was fitted to normal, log-normal, and 2P-Weibull distributions (Bodig and Jayne 1982; Zhong and Ren 2014), respectively. The mean values, standard deviations (SD), and the coefficient of variations (CV) were determined for each UCS. The design value of the UCS strength was calculated using the estimated best-fit distribution, based on the first-order second-moment reliability analysis method, and the allowable stress method.

**Reliability Analysis**

To determine the UCS design value, resistance stress (*R*) of the 40 x 65 mm Chinese larch lumber, based on full size test results, was calculated using Eq. 1. The mean value and the CV of *R* were calculated using Eqs. 2 and 3 (MOHURD 2005; Wang 2002),

$$R = K_1 K_2 K_3 f_0 \tag{1}$$

$$\mu_R = \mu_{K_1} \mu_{K_2} \mu_{K_3} \mu_f \tag{2}$$

$$\delta_R = \sqrt{\delta_{K_1}^2 + \delta_{K_2}^2 + \delta_{K_3}^2 + \delta_f^2} \tag{3}$$

where, *K*<sub>1</sub>, *K*<sub>2</sub>, and *K*<sub>3</sub> are the adjusting factors for the equation’s precision, geometric character, and effects of long-term load, respectively (Table 2), and *f*<sub>0</sub> is the experimental UCS value for 40 x 65 mm Chinese larch lumber (Table 4 and 5). According to the statistical theory, the *R* value is also distributed log-normally.

**Table 2. Statistical Parameters of Adjusting Factors**

Parameters	<i>k</i> <sub>1</sub>	<i>k</i> <sub>2</sub>	<i>k</i> <sub>3</sub>
Mean value	1.00	0.96	0.72
CV (%)	5.00	6.00	12.0

The loads that were applied to the timber structures were divided into two groups: dead load (*G*) and live load (*L*). The former included the self-weight of the structural members and other materials, while the latter included the office occupancy load (*L*<sub>0</sub>), the residential occupancy load (*L*<sub>R</sub>), the wind load (*L*<sub>W</sub>), and the snow load (*L*<sub>S</sub>). According to GB50009 (MOHURD 2012), normal distribution was used to express the randomness of *G*, and extreme type-I (Extreme-1) distribution, commonly used to represent the distribution of different live loads, expressed the randomness of *L*<sub>0</sub>, *L*<sub>R</sub>, *L*<sub>W</sub>, and *L*<sub>S</sub>. Statistical parameters of the loads are shown in Table 3.

**Table 3. Statistical Parameters of Load Types**

Statistical parameters	Load type				
	<i>G</i>	<i>L</i> <sub>0</sub>	<i>L</i> <sub>R</sub>	<i>L</i> <sub>W</sub>	<i>L</i> <sub>S</sub>
Mean/nominal	1.060	0.524	0.644	1.000	1.040
CV (%)	7.0	28.8	23.3	19.0	22.0
Distribution types	Normal	Extreme-1	Extreme-1	Extreme-1	Extreme-1

Next, the two-load combinations:  $G + L_O$ ,  $G + L_R$ ,  $G + L_W$ , and  $G + L_S$  underwent reliability analysis testing (MOHURD 2005). The limit state design equation for compressive resistance can be expressed as,

$$a_D D_K + a_L L_K = f K_S \quad (4)$$

where  $f$  is the design value,  $a_D$  and  $a_L$  are the dead load factor (1.2) and live load factor (1.4), respectively,  $D_K$  and  $L_K$  are the nominal dead load and the nominal live load, respectively, and  $K_S$  is an adjusting factor for the service life, defined as 1.0 for 50 years (MOHURD 2012).

The performance function, developed for relative compressive resistance and the effect of loads under first-order second-moment reliability analysis, is as follows (Zhuang 2004; Li 2011),

$$Z = R - (D + L) \quad (5)$$

where,  $R$ ,  $D$ , and  $L$  are the random variables representing the compressive resistance, dead load ( $G$ ), and live load ( $L_O$ ,  $L_R$ ,  $L_W$ , or  $L_S$ ), respectively. The random variable,  $R$ , was assumed to be log-normally distributed according to the analysis above.

By substituting Eq. (4) into Eq. (5), the performance function can be rewritten as,

$$Z = R - \frac{f K_S}{a_D + \rho a_L} (g + \rho l) \quad (6)$$

where,  $\rho$ ,  $g$ , and  $l$  are the equivalent of  $L_K/D_K$ ,  $D/D_K$ , and  $L/L_K$ , respectively.

## RESULTS AND DISCUSSION

Results for the specimen number, the mean value, SD, and CV of the UCS of the lumber samples are shown in Table 4.

**Table 4.** Statistics for the Ultimate Compression Strength of the Samples

Statistical parameters	UCS (MPa)			
	I <sub>c</sub>	II <sub>c</sub>	III <sub>c</sub>	IV <sub>c</sub>
Mean value	55.48	44.10	45.93	40.43
SD	10.52	6.84	10.84	11.77
CV (%)	18.96	15.50	23.60	29.11

It was found that the I<sub>c</sub> lumber exhibited the highest compression strength. The mean value of UCS for grade I<sub>c</sub> was 55.48 MPa, with a CV of 18.96%. Although grade II<sub>c</sub> exhibited a lower mean UCS (44.10 MPa) than grade III<sub>c</sub>, its CV (15.50%) was lower than that of other three grades. In some cases, III<sub>c</sub> lumber was stronger than II<sub>c</sub> lumber, even though the latter should have smaller knot sizes, according to grading rules in the GB50005-03 (MOHURD 2005). This was also confirmed in the test result of the mechanical properties of Canadian coastal Douglas-fir and Hem-fir (Chen *et al.* 2009; Zhong and Ren 2014).

The UCS mean values exhibited significant ( $p < 0.05$ , F-test ANOVA) differences between each grade of the dimension lumber. This was consistent with the research of Jiang

*et al.* (2012). Notably, Guo *et al.* (2011) reported that the bending strength, ultimate tension strength, and compression strength of Chinese fir also exhibited statistically significant differences between the three different grades of lumber at the  $p < 0.01$  significance level.

The normal, log-normal, and 2P-Weibull distributions were fit to the mechanical properties of wood. The optimal distribution in describing UCS should be found to determine reliability index and then to calculate the design values of the 40 x 65 mm lumber. The basic fitted parameters were important in determining the corresponding distributions. The basic fitted parameters of each distribution are shown in Table 5. For the four grades of lumber, these fitted models of UCS were based on the basic fitted parameters and experimental histograms for Chinese larch lumber, as shown in Fig. 1. Differences between the normal and log-normal distributions existed in UCS, where the normal distribution fits grade Ic and IIc better, while the log-normal distribution fits the other two grades better. The log-normal distribution was slightly better than the 2P-Weibull distribution in fitting the data of UCS. This was particularly evident in the left tail region for both grades, where the log-normal distribution followed the actual strength data more accurately. In consideration for the numbers of different grade samples, grades Ic and IIc had much fewer samples than grades IIIc and IVc (Table 1), and the log-normal distribution was more suitable for the distribution of grades IIIc and IVc. Also, Anderson-Darling goodness of fit test has been done and the results in Table 6 indicate that the normal distribution fits grade Ic better, while the log-normal distribution fits the other three grades better. In conclusion, the log-normal distribution for UCS was selected for final reliability analysis in this study.

**Table 5.** The Basic Fitted Parameters of Each Distribution

Distribution and parameter type		Basic fitted parameters			
		I <sub>c</sub>	II <sub>c</sub>	III <sub>c</sub>	IV <sub>c</sub>
Log-normal	$\sigma$	0.2016	0.1547	0.2327	0.2836
	$\mu$	3.9967	3.7745	3.8000	3.6592
Normal	$\sigma$	10.521	6.837	10.840	11.769
	$\mu$	55.481	44.096	45.926	40.431
2P-Weibull	$k$	6.1439	7.8753	5.2479	4.3089
	$l$	59.54	46.60	49.60	44.00

Note:  $\mu$  is the location parameter and  $\sigma$  is the scale parameter for log-normal distribution (Kleiber and Kotz 2003);  $\mu$  is the mean or expectation and  $\sigma$  is its standard deviation in normal distribution;  $k$  is the shape parameter and  $l$  is the scale parameter for 2-P Weibull distribution

**Table 6.** Results of Anderson-Darling Goodness of Fit Test

Grade	The test statistic A value		
	Log-normal	Normal	Weibull
I <sub>c</sub>	1.4097	<u>0.2967</u>	0.6309
II <sub>c</sub>	<u>0.3043</u>	0.3649	1.1229
III <sub>c</sub>	<u>0.2038</u>	1.8699	4.2856
IV <sub>c</sub>	<u>0.3509</u>	3.1315	5.0799

Note: A is the test statistic of Anderson-Darling goodness of fit Test. And the best-fitted distribution has the smallest value of A.

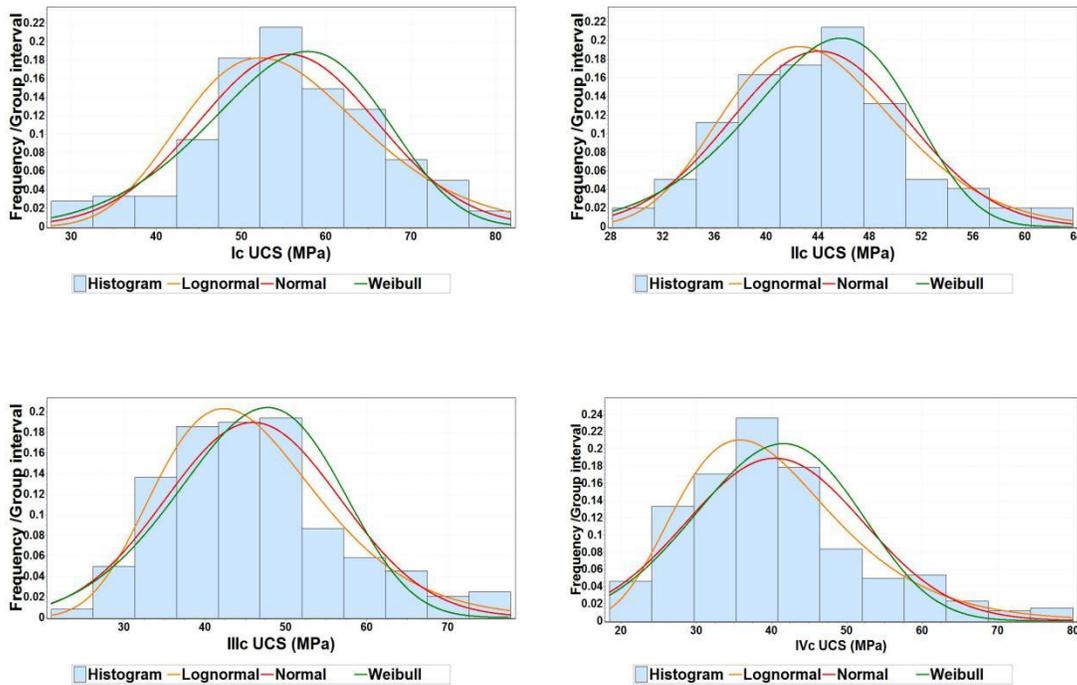


Fig. 1. Normal, log-normal, and 2P-Weibull best fit modulus for the UCS of the samples

### Results of Reliability Analysis

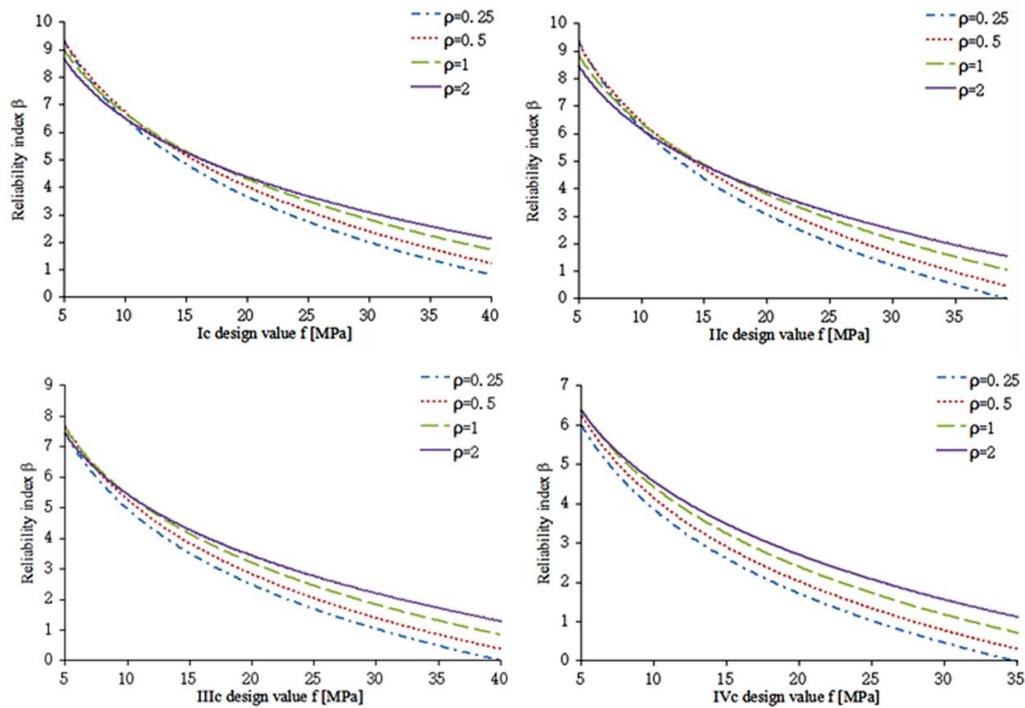
Calculated mean value and the CVs for all lumber grades are presented in Table 7.

Table 7. Summary of Statistics for R of 40 x 65 mm Chinese Larch Lumber

Statistical parameters	R (MPa)			
	I <sub>c</sub>	II <sub>c</sub>	III <sub>c</sub>	IV <sub>c</sub>
Mean value	38.35	30.48	31.74	27.95
SD	9.110	6.430	8.760	9.070
CV (%)	23.76	21.10	27.60	32.44
Distribution types	Normal	Normal	Log-normal	Log-normal

The reliability level, which must meet the target level ( $\beta_0=3.2$ ), was used to determine the UCS design value (MOHURD 2001). This was acquired by taking an average of the reliability index under the combinations of two loads:  $\rho = 0.25, 0.5, 1.0,$  and  $2.0$  (Fig. 2) according to the survey of the timber structure in China (MOHURD 2005; MOHURD 2012).

In order to determine the UCS design value of 40 x 65 mm Chinese larch dimension lumber, a first-order, second-moment reliability analysis was performed on all the data cells and simulation load cases,  $G + L_0, G + L_R, G + L_W,$  and  $G + L_S$ . For instance, the relationship between the reliability index ( $\beta$ ) and the design value of UCS ( $f$ ) of 40 x 65 mm Chinese larch lumber, for both  $L_0$  and  $G$ , are shown in Fig. 2.



**Fig. 2.** Relationship between the reliability index ( $\beta$ ) and the design value ( $f$ ) for  $G + L_0$

Reliability analysis results indicated that the  $\beta$  value decreased non-linearly with the increase in the design value for all simulation load cases. Similar results were obtained in previous studies (Folz and Foschi 1989; Zhuang 2004; Li 2011). A calculation program for  $\beta$  was developed in Matlab 7.0 software. Reliability results of the 40 x 65 mm Chinese larch lumber for different load combinations are shown in Table 8.

**Table 8.** Reliability Index  $\beta$  of 40 x 65 mm Chinese Larch Lumber for Different Load Combinations

Load combinations	$\rho$	$\beta$			
		I <sub>c</sub> (22.4 MPa)	II <sub>c</sub> (19.2 MPa)	III <sub>c</sub> (16.5 MPa)	IV <sub>c</sub> (12.6 MPa)
$G + L_0$	0.25	3.193	3.232	3.173	3.138
	0.5	3.566	3.634	3.507	3.433
	1.0	3.894	3.944	3.838	3.752
	2.0	4.020	4.033	4.004	3.952
$G + L_R$	0.25	3.096	3.125	3.088	3.064
	0.5	3.401	3.456	3.360	3.304
	1.0	3.678	3.722	3.634	3.564
	2.0	3.794	3.805	3.782	3.736
$G + S$	0.25	2.775	2.766	2.809	2.825
	0.5	2.826	2.812	2.863	2.879
	1.0	2.805	2.766	2.863	2.897
	2.0	2.727	2.667	2.810	2.869
$G + W$	0.25	2.813	2.810	2.840	2.851
	0.5	2.909	2.910	2.930	2.933
	1.0	2.953	2.937	2.986	2.996
	2.0	2.928	2.889	2.984	3.013
Mean±SD		3.211±0.446	3.219±0.472	3.217±0.411	3.200±0.373

Note: Values in parentheses are design values

According to the reliability analysis and the requirements for the minimum reliability indexes ( $\beta \geq \beta_0$ ) (MOHURD 2001), the mean  $\beta$  for all load combinations was 3.211 for grade I<sub>c</sub>, 3.219 for grade II<sub>c</sub>, 3.217 for grade III<sub>c</sub>, and 3.200 for grade IV<sub>c</sub>. Additionally, it was found that the simulation load case for the maximum and minimum  $\beta$  were the load combinations  $G+L_0$  and  $G+L_s$ , for the same  $\rho$  value, respectively (Zhuang 2004; Li 2011). For example, the value of  $\beta$  for grade I<sub>c</sub> lumber was 3.150 under  $G + L_0$ , and 2.855 under  $G + L_s$ , when  $\rho$  was 0.25.

### Results of Allowable Stress Analysis

In order to determine the UCS design values according to the allowable stress analysis method, characteristic values of the 40 x 65 mm Chinese larch dimension lumber were calculated. The characteristic value was determined using the 5.0% fractile of the probability distribution (MOHURD 2001). A summary of log-normal statistics for the compression strength of the 40 x 65 mm Chinese larch dimension lumber is shown in Table 9. The characteristic value  $f_k$  and design value  $f$  were calculated using Eqs. (7-8) (MOHURD 2008),

$$f_k = \mu_f e^{-1.645 \delta_f} \quad (7)$$

$$f = K_f f_k \quad (8)$$

where,  $\mu_f$  is the mean value of the logarithmic UCS,  $\delta_f$  is the CV (%) (Table 9), and  $K_f$  is the reduction factor of UCS, defined as 1/1.9, according to ASTM D2915 (2003). The characteristic values of Chinese larch visually-graded dimension lumber and the design values were calculated according to United States Code as shown in Table 10.

**Table 9.** Summary of Log-Normal Statistics of the Compression Strength of the Samples

Statistical parameters	ln(UCS)			
	I <sub>c</sub>	II <sub>c</sub>	III <sub>c</sub>	IV <sub>c</sub>
Mean	4.00	3.77	3.80	3.66
SD	0.20	0.16	0.23	0.28
CV (%)	5.06	4.12	6.14	7.76

**Table 10.** The  $f_k$  and  $f$  of the Compression Strength of the Samples

Grade	$f_k$ (MPa)	$f$ (MPa)
I <sub>c</sub>	39.062	20.6
II <sub>c</sub>	33.785	17.8
III <sub>c</sub>	30.485	16.0
IV <sub>c</sub>	24.355	12.8

### Comparison

A comparison among the design value results among Chinese Code, the reliability analysis method based on Chinese National Standards, and the allowable stress method of North America are shown in Table 11. The design value of the compression strength for ungraded Chinese larch lumber is 15 MPa according to GB50005-03 (MOHURD 2005). However, the values were 22.4 MPa for grade I<sub>c</sub>, 19.2 MPa for grade II<sub>c</sub>, 16.5 MPa for grade III<sub>c</sub>, and 12.6 MPa for grade IV<sub>c</sub>, on the basis of the reliability analysis method

(Table 8). The design values were 20.6 MPa for grade Ic, 17.8 MPa for grade IIc, 16.0 MPa for grade IIIc, and 12.8 MPa for grade IVc, based on the allowable stress method. The strength value of Chinese larch originating from GB50005-03 (2005) was lower than all values of grade Ic, IIc, and IIIc originating from the reliability analysis method based on full-size in-grade test and the allowable stress method. However, the design value originating from GB50005-03 (2005) was higher than those two values of grade IVc respectively by the reliability analysis method and the allowable property method. The design values obtained from GB50005-03 (2005) could be further recommended according to the visual grades of the dimension lumber instead of the tree species. The design values of grades Ic, IIc, and IIIc that were developed using the reliability analysis method, according to Chinese national codes, were slightly higher than those values originating from the allowable stress method of North America. For the determination of the design value, higher visually-graded dimension lumber may be more applicable for the allowable stress method, while the reliability analysis method may be more appropriate for lower grade lumber. The results indicated that it is unreasonable for the design value of the UCS for Chinese larch to equal 15 MPa for all grades of lumber in the Chinese National Standard GB50005-03 (MOHURD 2005), and the value may be unsafe for timber structure design for low visually-graded lumber. The design value of dimension lumber should therefore be calculated carefully before practical applications to ensure the safety of Chinese larch building construction.

**Table 11.** Comparison of the Design Values Determined by Different Methods

Analysis method	<i>f</i> (MPa)			
	I <sub>c</sub>	II <sub>c</sub>	III <sub>c</sub>	IV <sub>c</sub>
Reliability analysis	22.4	19.2	16.5	12.6
Allowable stress	20.6	17.8	16.0	12.8
GB50005-03	15 (TC17 B)			

Note: TC17 B is the grade of Chinese larch wood

## CONCLUSIONS

1. The optimized, fitted distribution of UCS for 40 x 65 mm Chinese larch visually-graded dimension lumber was the log-normal distribution.
2. The visual grades of the dimension lumber exhibited significant effects on the design values of the UCS. The design values of the grades Ic and IVc represented the maximum and the minimum, respectively.
3. For grades Ic, IIc, and IIIc, the design values developed using the allowable stress method were much more conservative than those obtained using the reliability analysis method.
4. For grade IVc, the reliability analysis method is an appropriate method to quantify design values of 40 x 64 mm Chinese larch lumber.
5. The influence of appearance quality on strength should be taken into consideration when using the recommended design value in GB50005.

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